

```

SetDirectory["" / Users / seb / Desktop / PSI_June
    _13 / June2 / in_front / HV1814 / cascade / nolucite / ""];
Namelist = FileNames[];
Namelist // Length;
nfiles = %

In[1]:= filename =
"/Users/seb/Desktop/PSI_June_13/June2/in_front/HV1814/cascade/nolucite/LeCroy-
SGM-2013-06-02-045.csv"
Out[1]= /Users/seb/Desktop/PSI_June_13/June2/in_front/HV1814/cascade/nolucite/LeCroy-
SGM-2013-06-02-045.csv

In[2]:= Print [filename]

/Users/seb/Desktop/PSI_June_13/June2/in_front/HV1814/cascade/nolucite/LeCroy-SGM-2013
-06-02-045.csv

In[3]:= Timing[scopedata = Import[filename, "csv"];]
Out[3]= {74.895624, Null}

In[4]:= Dimensions[scopedata]
Out[4]= {10 000, 4005}

```

Name the output file

```

In[5]:= outfile = StringReplace[filename, {"SGM" → "compress"}]
Out[5]= /Users/seb/Desktop/PSI_June_13/June2/in_front/HV1814/cascade/nolucite/LeCroy-
compress-2013-06-02-045.csv

```

Pick 1 event for displaying.

```

In[6]:= eventno = 31;
index = (eventno - 1) * 4;
firstrec = scopedata[[31]]; secndrec = scopedata[[32]];
thrdrec = scopedata[[33]]; frthrec = scopedata[[34]];

In[9]:= filestruct = Dimensions[scopedata];
records = Dimensions[scopedata][[1]];
nevents = Dimensions[scopedata][[1]] / 4;
reclen = Dimensions[scopedata][[2]];
Print[{"There are ", nevents,
      " events and the data dimensionality is ", filestruct}]
{There are 2500, events and the data dimensionality is {10 000, 4005}}

```

Channel 1 and Channel 2 are 64 mm² APDs. Channel 3 is 4 mm² APD (negative).

```
In[14]:= Print[{"channels are read in the following order:",
  scopedata[[1, 1]], scopedata[[2, 1]], scopedata[[3, 1]],
  scopedata[[4, 1]], scopedata[[5, 1]], scopedata[[6, 1]], ",etc"]}
{channels are read in the following order:, 1., 1., 1., 1., 1., 1., ,etc}
```

Set up to plot scope traces for a particular event (eventno).

```
In[15]:= chan1 = firstrec[[1]]; chan2 = secndrec[[1]];
  chan3 = thrdrec[[1]]; chan4 = frthrec[[1]];
  dt = firstrec[[3]] * 10^9
Out[16]= 0.05

In[17]:= tstart = 0;
  v3rec = scopedata[[21]];
  v1 = Drop[firstrec, 3]; v2 = Drop[secndrec, 3];
  v3 = Drop[thrdrec, 3]; v4 = Drop[frthrec, 3];
  npts = Dimensions[v1][[1]]
  Print[Style[{" 4 Channels read out in ", dt, " nanosecond bins from ",
    tstart, " to ", tstart+npts*dt " nanoseconds "}, 18, Red]]
Out[20]= 4002

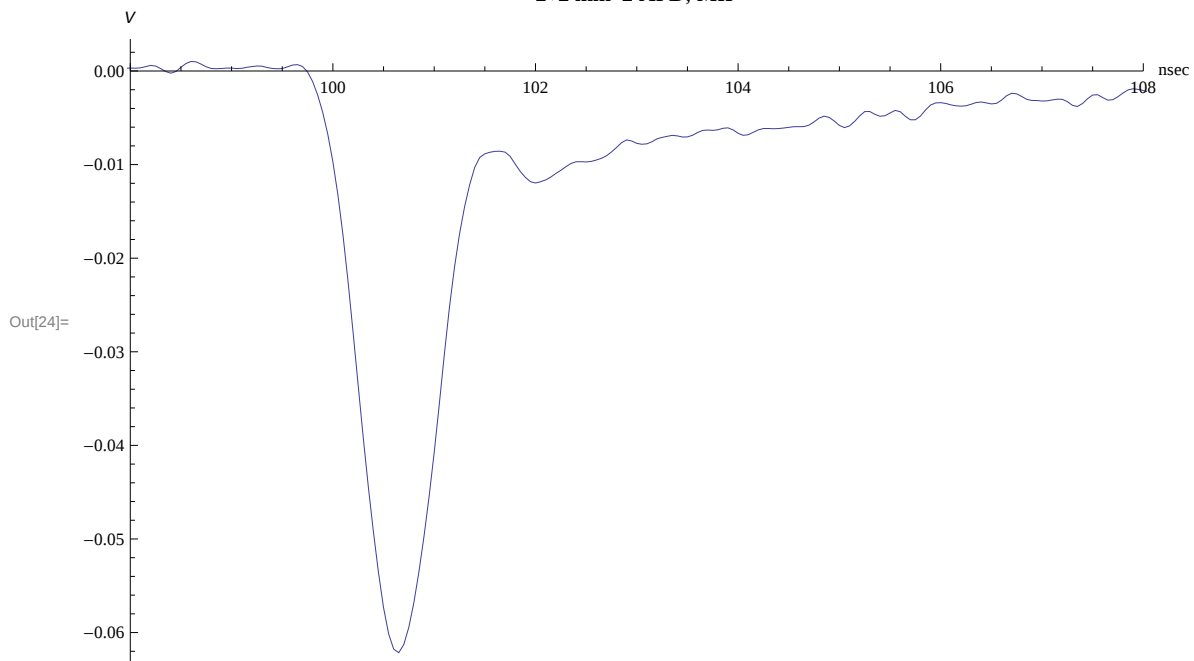
{ 4 Channels read out in , 0.05,
  nanosecond bins from , 0, to , 200.1 nanoseconds }

In[22]:= time = Table[(i - 1) * dt, {i, npts}];
  Look at typical signal on small APD. Not bad!
```

```

In[23]:= v3rec = scopedata[[22]]; v5 = Drop[v3rec, 3];
ListPlot[Transpose[{time, v5}],
  Joined → True, ImageSize → Large, AxesLabel → {nsec, V},
  PlotRange → {{98, 108}, Full}, PlotLabel → "2*2 mm^2 APD, MIP"]

```

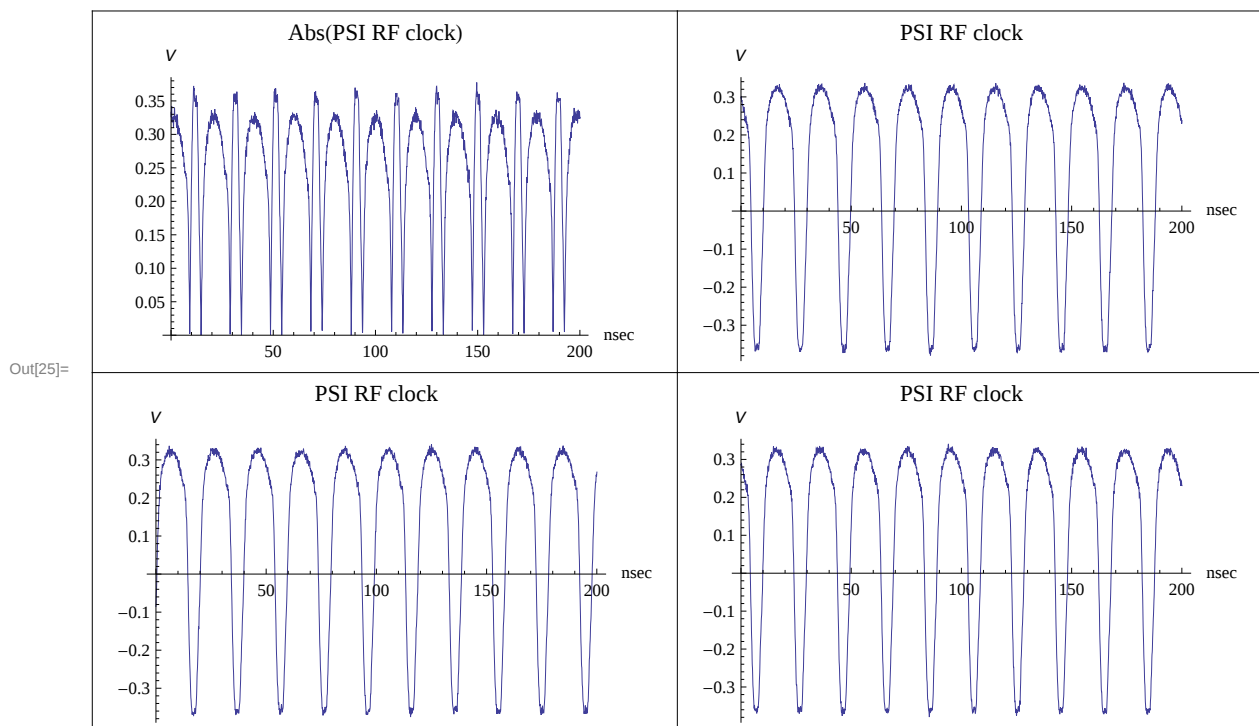


Now examine Accelerator Clock data on Channel 4. Sin fit looks as good as any tool for phase info.

```

GraphicsGrid[{ListPlot[Transpose[{time, Abs[v1 + .4]}], Joined → True,
  AxesLabel → {nsec, V}, PlotRange → Full, PlotLabel → "Abs(PSI RF clock)"},
  ListPlot[Transpose[{time, v2 + .4}], Joined → True, AxesLabel → {nsec, V},
  PlotRange → Full, PlotLabel → "PSI RF clock"}],
  Frame → All, ImageSize → Full]

```



Find Period of Accelerator Clock

```
In[26]:= f = Interpolation[Transpose[{time, v1 + .4}], InterpolationOrder → 1];
lech2 = Table[
  x /. FindRoot[f[x], {x, n}, WorkingPrecision → 5]
, {n, 30, 90, 20}];
Mean[Differences[lech2]]
```

Out[28]= 19.75

Fit to sin wave of form
 $V(t) = A_0 \sin[2\pi(t-b)/\tau]$
 to find the phase, b

```
In[29]:= model = a Sin[.318 (t - b)];
Clear[trace]; Clear[tr1]; trace = ConstantArray[0, 4005];
trace = scopedata[[31]];
tr1 = Drop[trace, 3];
```

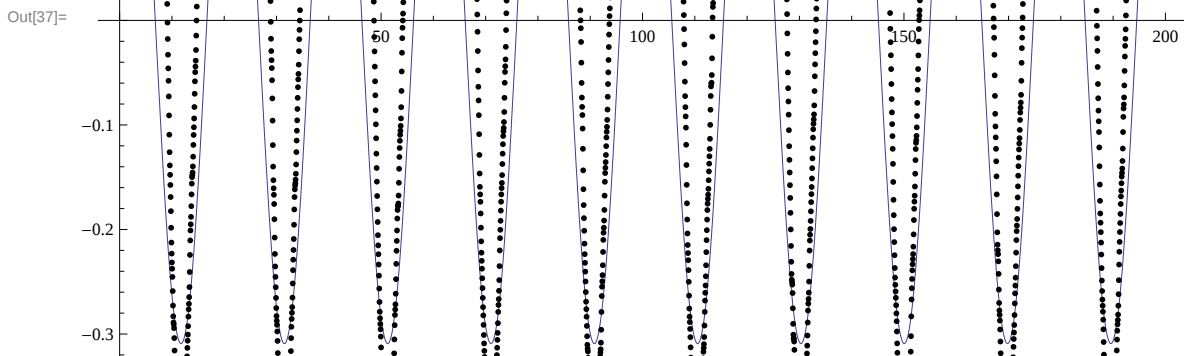
```
In[33]:= fit = FindFit[Transpose[{time, tr1 + .4}], model, {a, b}, t]
fitpar = % /. Rule → List
phase = fitpar[[2, 2]]
```

Out[33]= {a → 0.309165, b → -3.06768}

Out[34]= {{a, 0.309165}, {b, -3.06768}}

Out[35]= -3.06768

```
In[36]:= modelf = Function[{t}, Evaluate[model /. fit]];
Plot[modelf[t], {t, 0, 200}, ImageSize → Large,
  Epilog → Map[Point, Transpose[{time, tr1 + .4}]]]
```



Decoding for Segmented mode data

```

In[38]:= nsegment = 10; nloop = 25; nchan = 4; ichan = 4;
Clear[v]; v = ConstantArray[0, {2500, 4002}];
(*Do[cannel index- but for moment only channel 4*)
Do[(*loop index*)
  Do[(*sege mt index*)
    nev = iseg + 10 * (iloop - 1);
    trace = scopedata[[10 * (ichan - 1) + iseg + 40 * (iloop - 1)]];
    v[[nev]] = Drop[trace, 3];
    , {iseg, 1, 10, 1}];
  , {iloop, 1, 250, 1}];

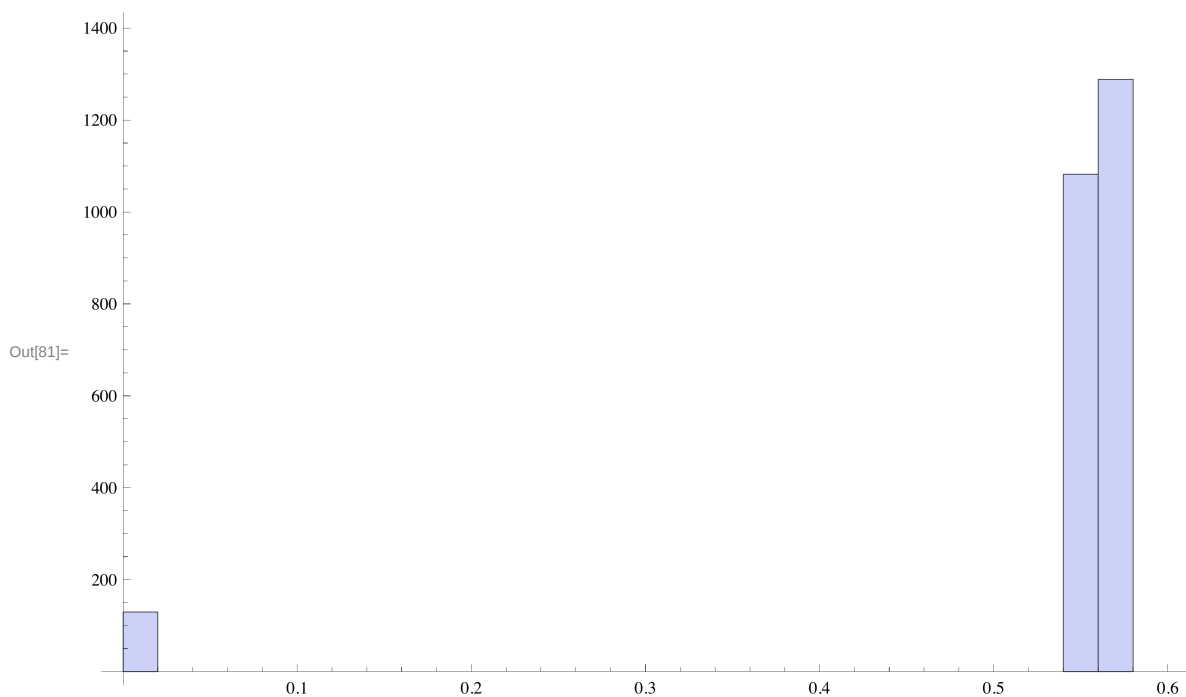
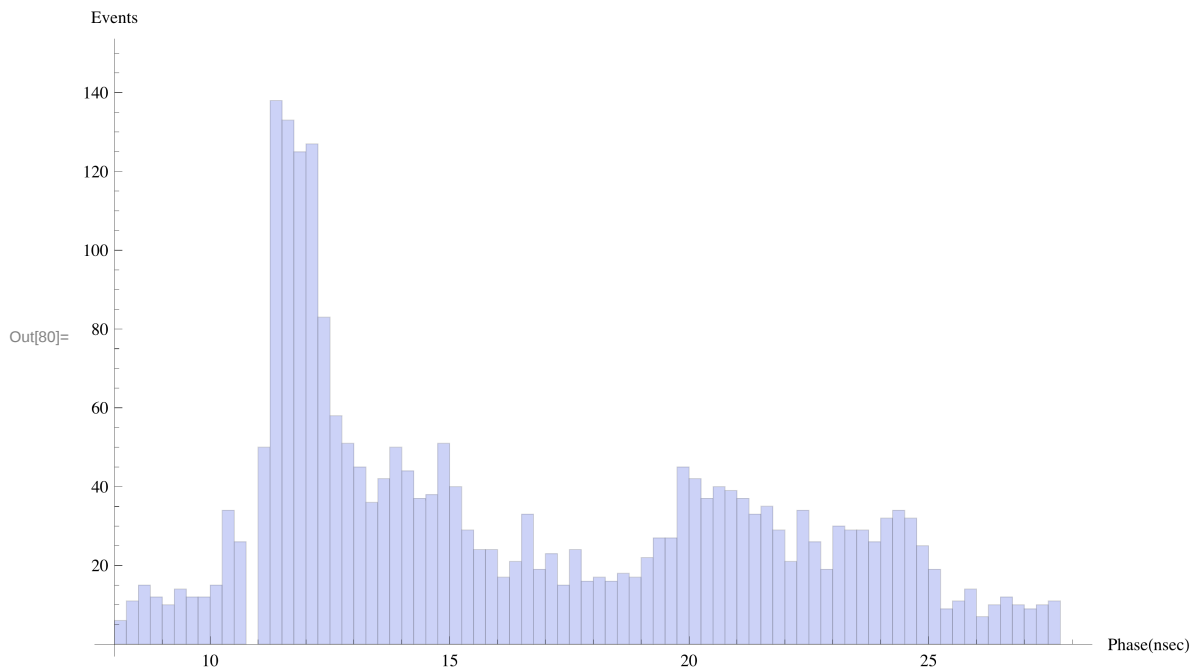
model = a * a Sin[.318 (t - b)];
fitphase = Table[FindFit[Transpose[{time, (v[[iev]] + .4)}], model, {a, b}, t] /.
  Rule -> List, {iev, 1, 2500}];

```

```

In[77]:= phase = Table[fitphase[[i, 2, 2]], {i, 2500}];
phaseshift = Mod[phase, 19.75, 8.];
ampl = Table[fitphase[[i, 1, 2]], {i, 2500}];
Histogram[phaseshift, {8, 28, .25},
  AxesLabel → {"Phase(nsec)", "Events"}, ImageSize → Large]
Histogram[Abs[ampl], {0, .6, .02}]

```



Estimate Distance scale from spread in Time of Flight

```

In[82]:= < mass of muon >>
ParticleData["Muon", "Mass"]

```

105.658369`9.

In[83]:= **mu = %**

Out[83]= 105.658369

In[84]:= **mass of pion**
`ParticleData["PiPlus", "Mass"]`

Out[84]= 139.57018

In[85]:= **mpi = %**

Out[85]= 139.57018

In[89]:= **mass of electron**
 Result
 510.9989 keV/c²

Out[89]= 510.999 keV/c²

In[90]:= **me = % [1] / 1000**

Out[90]= 0.510999

In[96]:= **Solve[250 == mpi * beta / Sqrt[1 - beta * beta], beta] /. Rule -> List**

Out[96]= {{beta, 0.87314524}}

In[97]:= **vpi = % [1, 1, 2]**

Out[97]= 0.87314524

In[98]:= **Solve[250 == me * beta / Sqrt[1 - beta * beta], beta] /. Rule -> List**
ve = % [1, 1, 2]

Out[98]= {{beta, 0.999998}}

Out[99]= 0.999998

In[101]:= **Solve[250 == mu * beta / Sqrt[1 - beta * beta], beta] /. Rule -> List**
vmu = % [1, 1, 2]

Out[101]= {{beta, 0.921113762}}

Out[102]= 0.921113762

In[106]:= **Solve[8 == L / 30 * (1 / ve - 1 / vpi), L]**

Out[106]= {{L -> -1651.95}}

So to get a time difference between pions and electrons of order 8 nsec it takes a distance from the production target of about 16.5 meters.
 Is this about right?

In[254]:= **timefun[tbin_] := (tbin - 1) * dt**
bin[t_] := (t) / dt + 1

```
In[259]:= timefun[1940]
```

```
Out[259]= 96.95
```

Now examine APD channels small APD (Scope input#3)

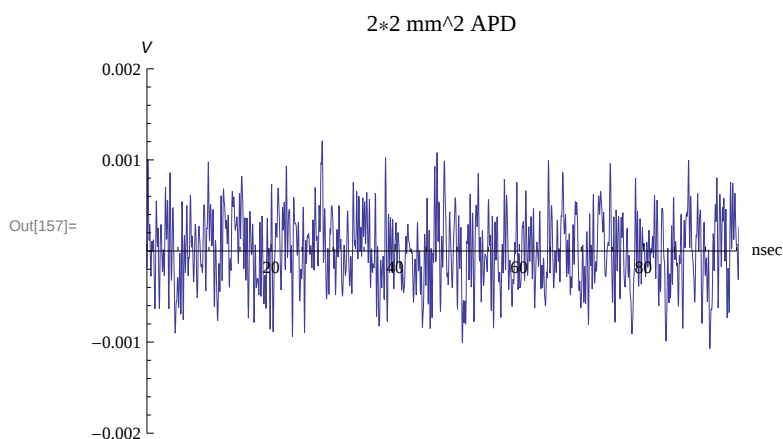
```
In[107]:= nsegment = 10; nloop = 25; nchan = 4; ichan = 3;
Clear[v]; v = ConstantArray[0, {2500, 4002}];
(*Do[cannel index- but for moment only channel 4*)
Do[(*loop index*)
  Do[(*segeint index*)
    nev = iseg + 10 * (iloop - 1);
    trace = scopedata[[10 * (ichan - 1) + iseg + 40 * (iloop - 1)]];
    v[[nev]] = Drop[trace, 3];
    , {iseg, 1, 10, 1}];
  , {iloop, 1, 1, 1}];

offset3 = Table[Mean[Take[v[[i]], 1980]], {i, 1, 10, 1}];
v3 = Table[(v[[i]] - offset3[[i]]), {i, 1, 10, 1}];
noise3 = Table[RootMeanSquare[Take[v[[i]], 1980]], {i, 1, 10, 1}];
Print[" Average offset=", 1000 * Mean[offset3],
  " mV and average noise= ", 1000 * Mean[noise3], " mV"]
```

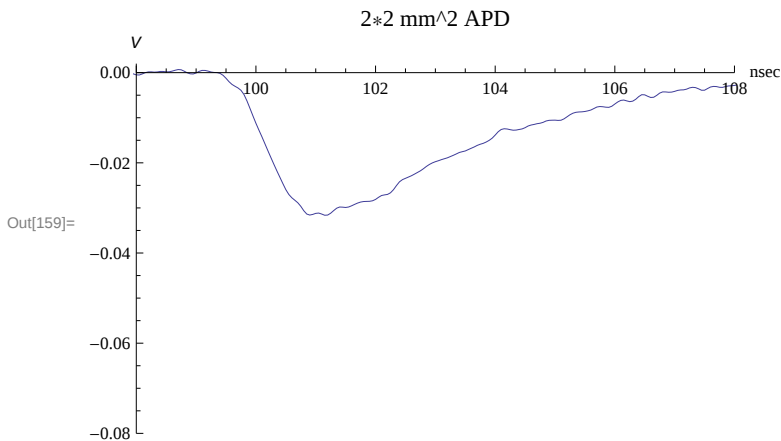
```
Out[130]= {0.000388008, 0.000397334, 0.00048456, 0.000394543, 0.000461283,
  0.000397423, 0.000414631, 0.000521328, 0.000371244, 0.000486995}
```

```
Out[155]= {0.000557142, 0.000580439, 0.000785259, 0.000562952, 0.000609128,
  0.000696421, 0.00056338, 0.000659155, 0.000534598, 0.000618936}
```

```
In[157]:= ListPlot[Transpose[{time, v3[[10]]}], Joined → True, AxesLabel → {nsec, V},
  PlotRange → {{0, 95}, {-.002, .002}}, PlotLabel → "2*2 mm^2 APD"]
```



```
In[159]:= ListPlot[Transpose[{time, v3[[10]]}], Joined → True, AxesLabel → {nsec, V},
  PlotRange → {{98, 108}, {-.08, .002}}, PlotLabel → "2*2 mm^2 APD"]
```



Now calculate expected peak pulse height assuming roughly triangular waveform 5 nsec wide at the base.

$$i_{\text{peak}} \cdot 1/2 \cdot 5 \text{ nsec} = Q = qe \cdot ne \cdot \text{APDgain} \cdot \text{Ampgain},$$

$$V_{\text{peak}} = i_{\text{peak}} \cdot 50 \text{ Ohms}$$

```
In[285]:= qe = -1.60217 * 10^-19
```

```
Out[285]= -1.60217 × 10-19
```

```
In[286]:= ne = 6000; APDgain = 600;
  NSolve[13 == 20 Log10[vgain], vgain] /. Rule → List;
  Ampgain = %[[1, 1, 2]]
```

```
Out[288]= 4.46684
```

```
In[289]:= NSolve[vpeak == 50 * 1 / (.5 * 5 * 10^-9) * qe * ne * APDgain * Ampgain, vpeak]
```

```
Out[289]= {{vpeak → -0.0515277}}
```

Large APD (Scope input channel#1)

```
In[160]:= nsegment = 10; nloop = 25; nchan = 4; ichan = 1;
  Clear[v]; v = ConstantArray[0, {2500, 4002}];
  (*Do[cannel index- but for moment only channel 4*)
  Do[(*loop index*)
    Do[(*segeimt index*)
      nev = iseg + 10 * (iloop - 1);
      trace = scopedata[[10 * (ichan - 1) + iseg + 40 * (iloop - 1)]];
      v[[nev]] = Drop[trace, 3];
      , {iseg, 1, 10, 1}];
    , {iloop, 1, 1, 1}];

  offset1 = Table[Mean[Take[v[[i]], 1980]], {i, 1, 10, 1}]
  v1 = Table[(v[[i]] - offset1[[i]]), {i, 1, 10, 1}];
  noise1 = Table[RootMeanSquare[Take[v[[i]], 1980]], {i, 1, 10, 1}]
```