

ATF APD Data Analysis

Data are organized as

- 4 Positions: (iposition=1,4)
 - each with 2 target states: (itarget=1,2)
 - each with 20 waveforms (iwaveform=1,20)
 - each is 1 file with 5000 points (ipoint=1,5000)
 - the first file name is : "RTF_0_APD.dat"
 - the next file name is : "RTF_1_APD.dat"
 - each point is a coordinate (time, Amplitude)

we convert time, Amplitude to nanoseconds, millivolts with the following matrix and subtract baseline

```
In[118]:= << PhysicalConstants`  
m = {{109, 0}, {0, 103}};
```

Fix some data records that were garbled by Matlab

```
In[120]:= spl[{s_String}] := Module[{loc = StringPosition[s, {"e-", "e+"}]},  
    First[ImportString[  
        StringTake[s, 4 + loc[[1, 1]]] <> " " <> StringDrop[s, 4 + loc[[1, 1]]], "Table"]]  
    spl[s_] := Identity[  
        s]
```

waveform2 holds the 20 waveforms at 1 position
newwave holds all 4 positions
Amps hold fitting results

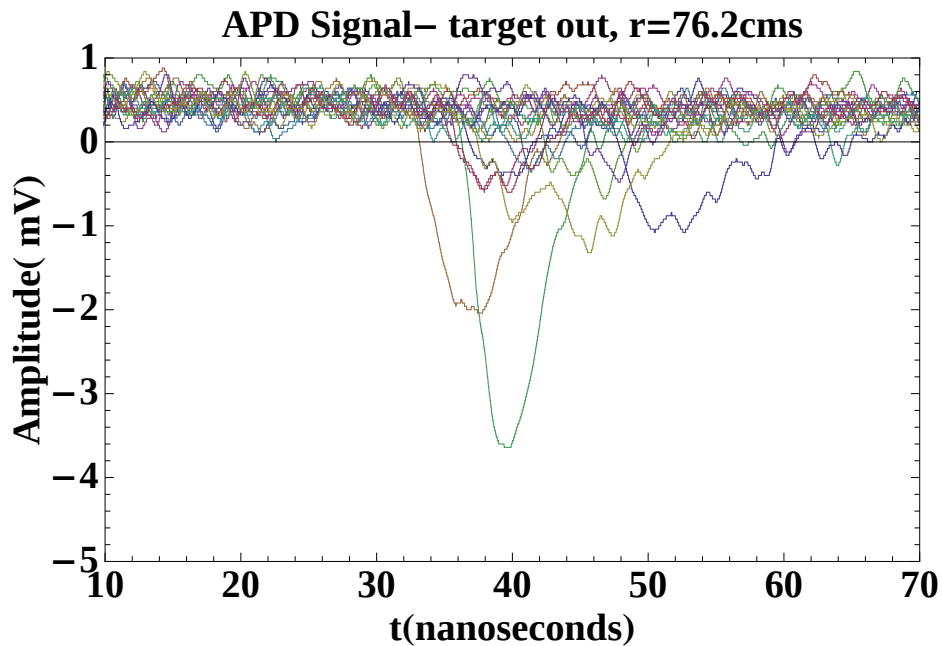
```
In[122]:= waveform = Array[0 &, {5000, 2}]; waveform1 = Array[0 &, {5000, 2}];  
waveform2 = Array[0 &, {20, 5000, 2}];  
aveAmp = ConstantArray[0, {2, 4}]; rmsAmp = ConstantArray[0, {2, 4}];  
q = ConstantArray[0, {4, 20}]; h1 = Range[20]; h2 = Range[20];  
Amplitude = Range[20];  
state = {"out", "in"};  
position = {61.6, 35.6, 15.2, 76.2};  
iorder = {4, 1, 2, 3};  
jtarget = {{1, 2}, {2, 1}, {1, 2}, {2, 1}};  
plotrange = {-5, -20};  
index = 1;  
qmip = ElectronCharge[[1]] * 200 * 6000 * 1012
```

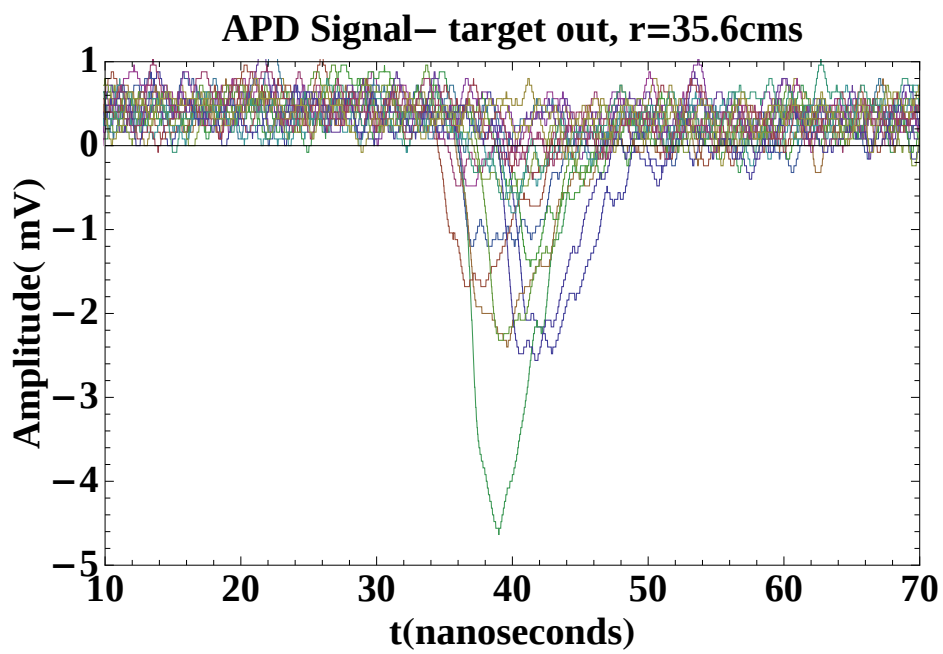
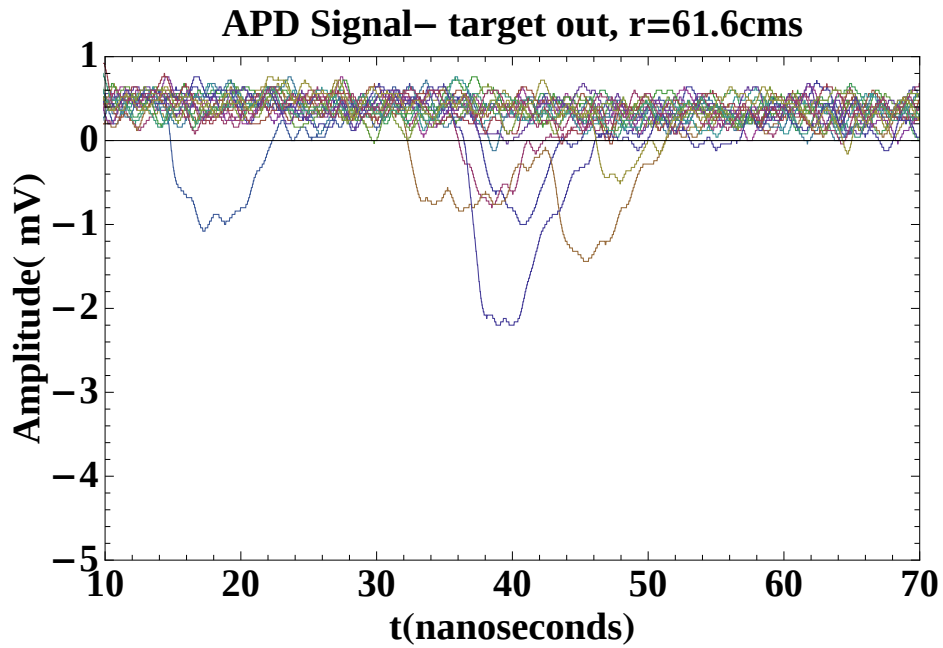
```
Out[132]:= 0.192261
```

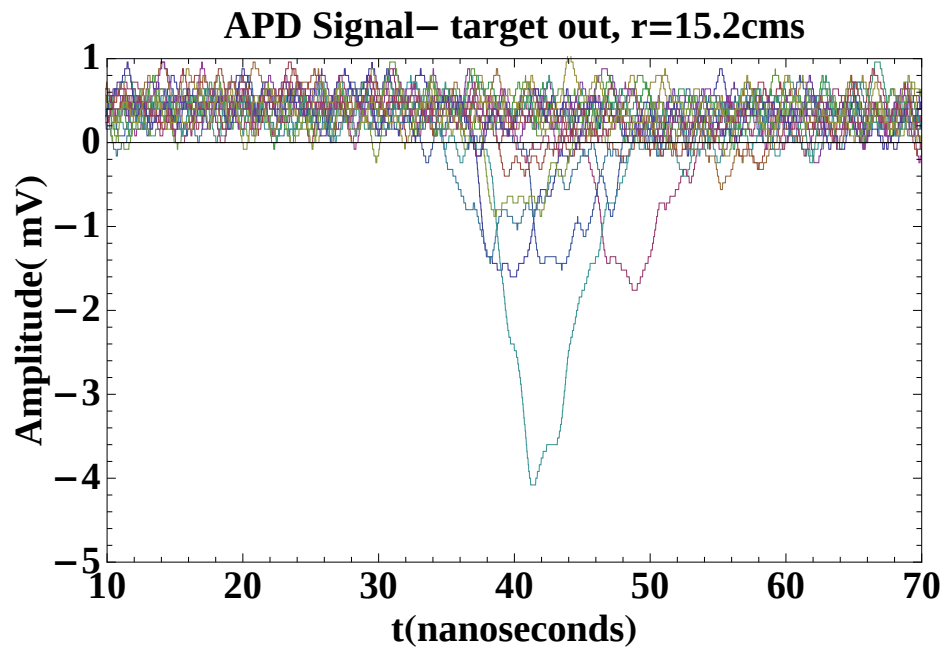
```

In[133]:= ipos = 1;
Do[
  iposition = iorder[[ipos]];
  Do[waveform = Import[ToFileName[NotebookDirectory[], "RTF_" <> ToString[
    i + 40 * (iposition - 1) + 20 * (jtarget[[iposition, index]] - 1)] <> "_APD.dat"], "Table"];
  waveform1 = Map[spl, waveform];
  waveform2[[i]] = Map[(m.# &), waveform1];
  waveform2[[1, 1000]];
  q[[ipos, i]] = -(Sum[waveform2[[i, j, 2]], {j, 701, 1400}] - 700 * .52) * .02 / 50 / qmip;
  , {i, 20}];
Print[ListPlot[Table[waveform2[[i]], {i, 20}], ImageSize -> {500, 300},
  Frame -> True, Joined -> True, PlotStyle -> PointSize[.05], FrameLabel ->
  {Style["t (nanoseconds)", 18], Style["Amplitude( mV)", 18], Style["APD Signal- target " <>
    state[[index]] <> ", r=" <> ToString[position[[iposition]]] <> "cms", 18}},
  LabelStyle -> Directive[Black, Bold, FontSize -> 18],
  PlotRange -> {{10, 70}, {plotrange[[index]], 1}}]]
,
{ipos,
  4}]

```

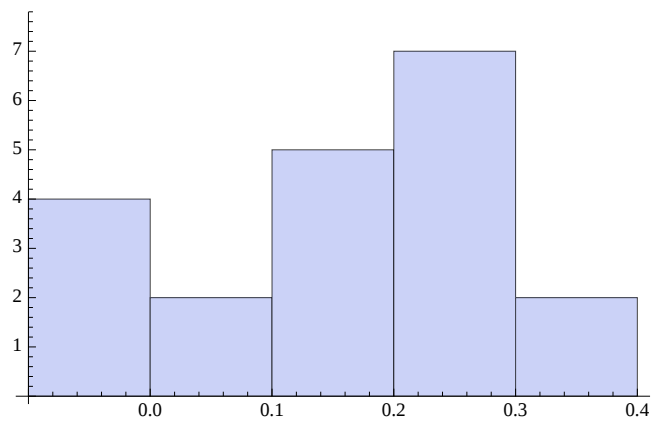
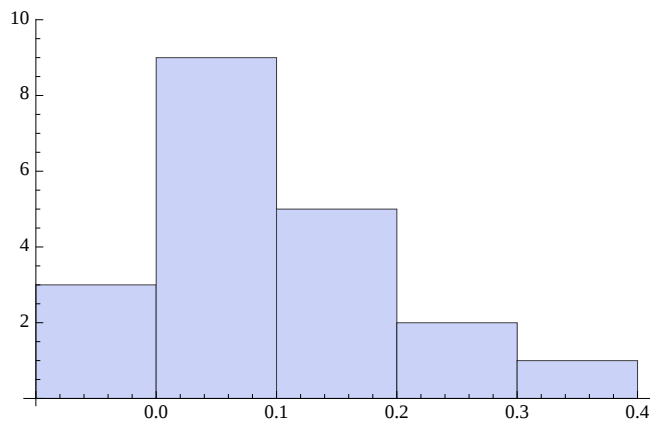
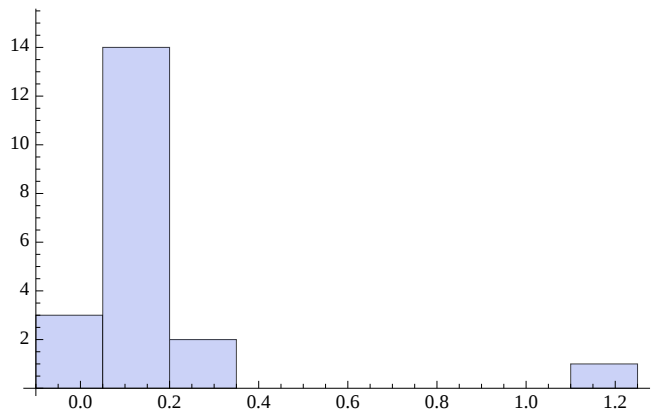
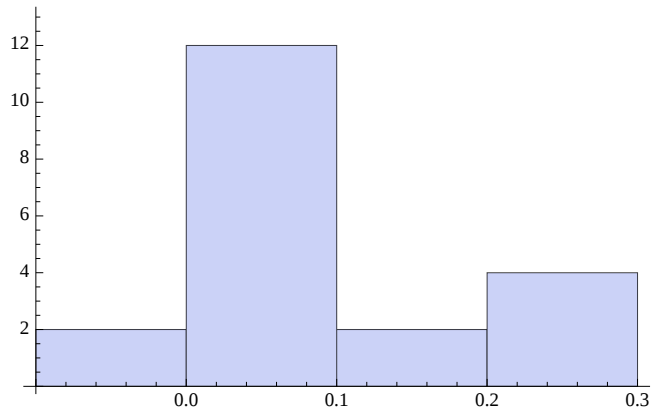




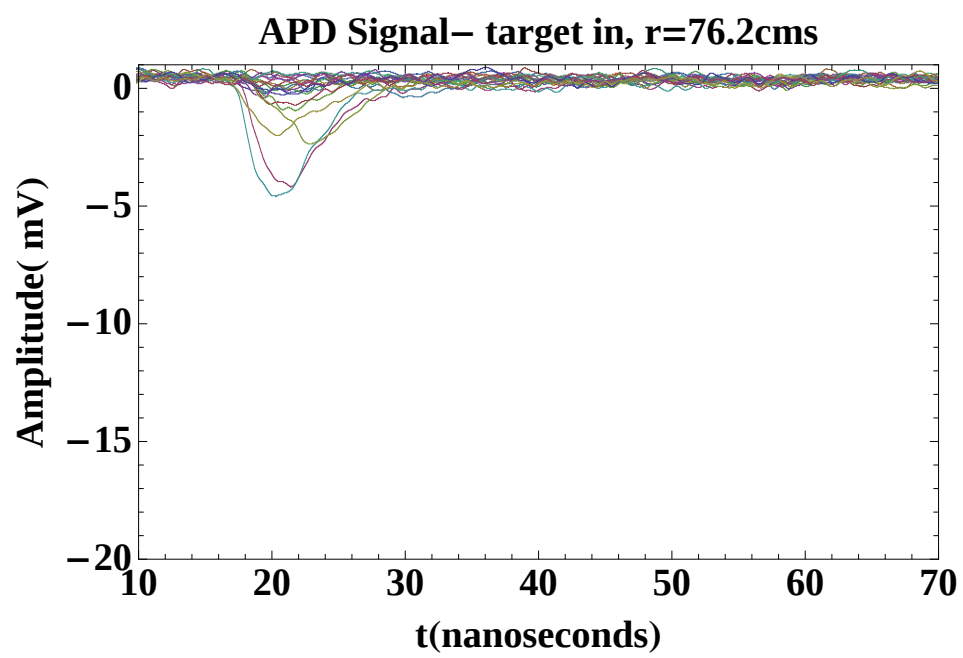


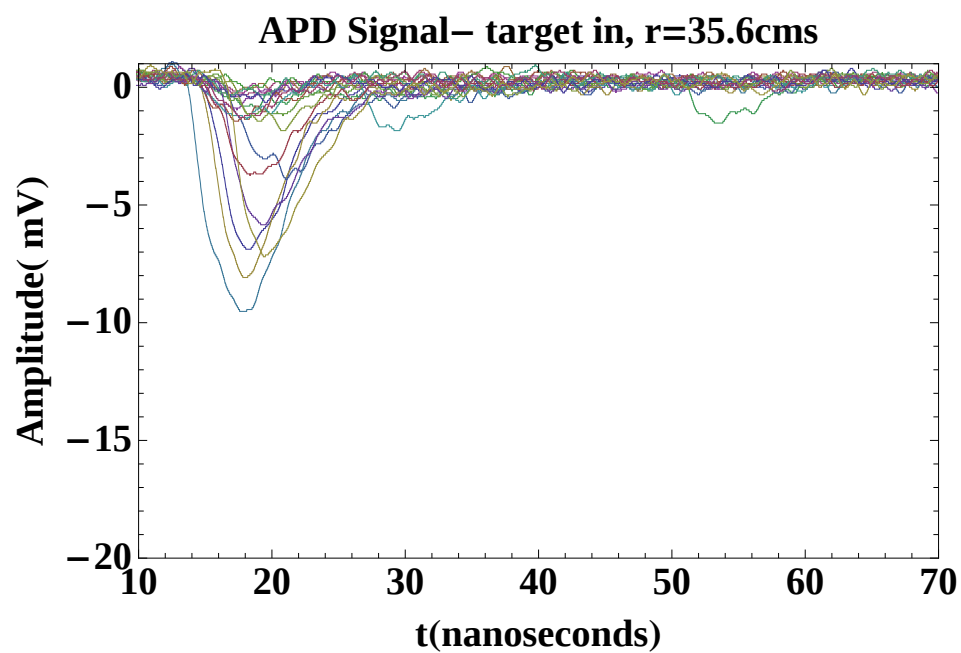
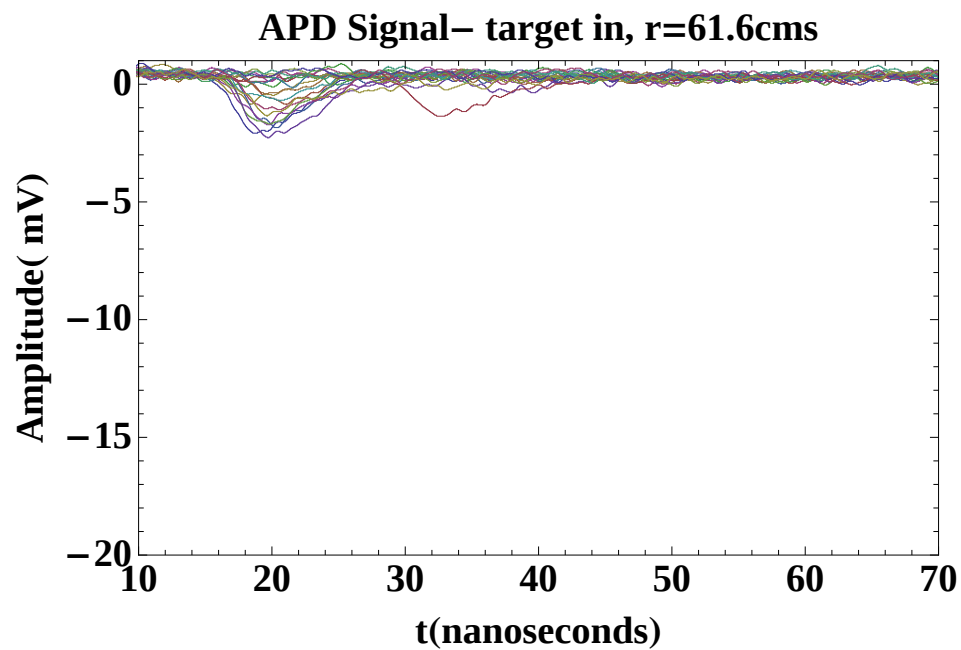
```
In[135]:=
```

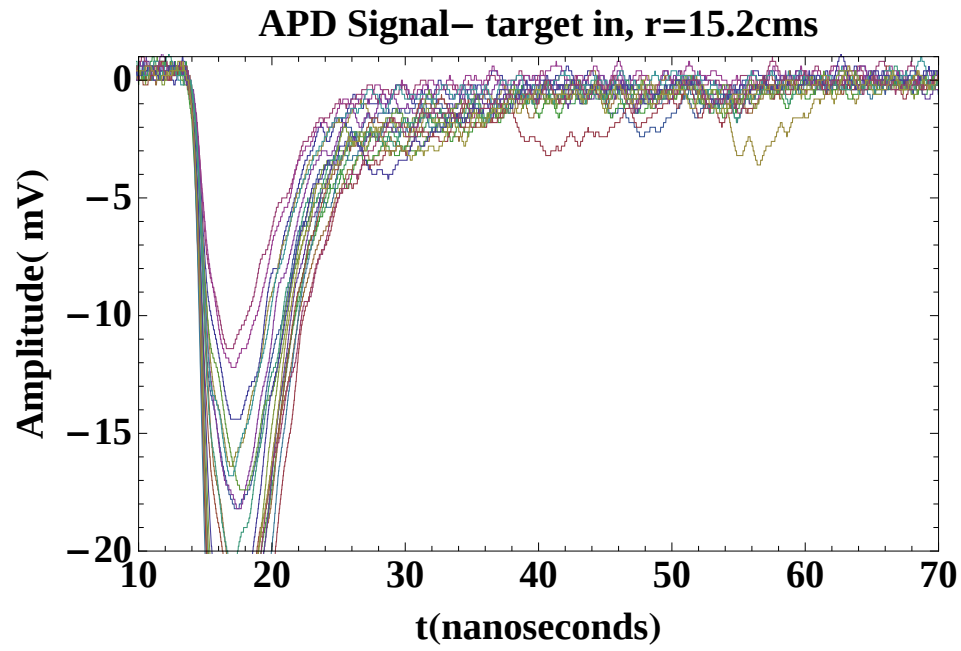
```
In[136]:= Do[Print[Histogram[q[[jj]], 20]], {jj, 4}]
```



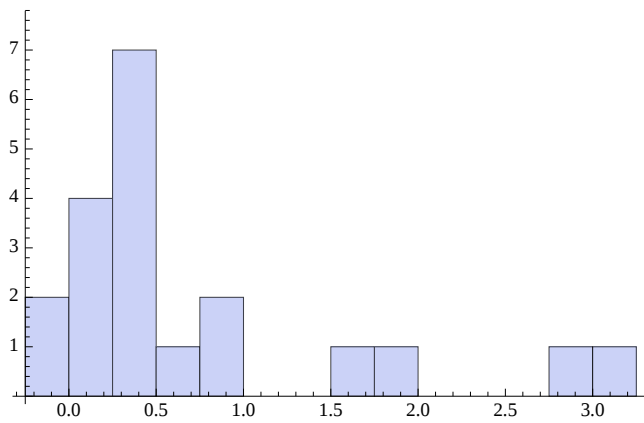
```
In[137]:=
```

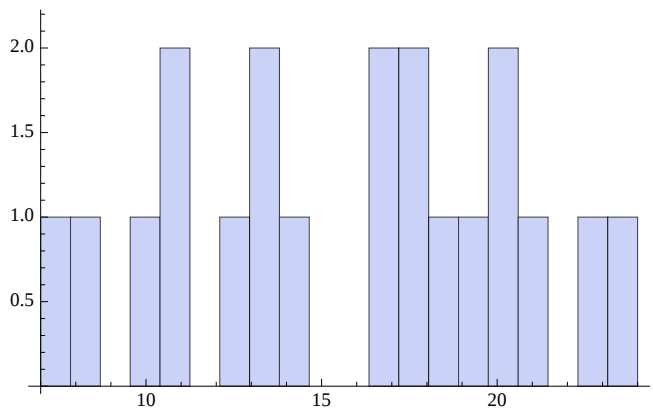
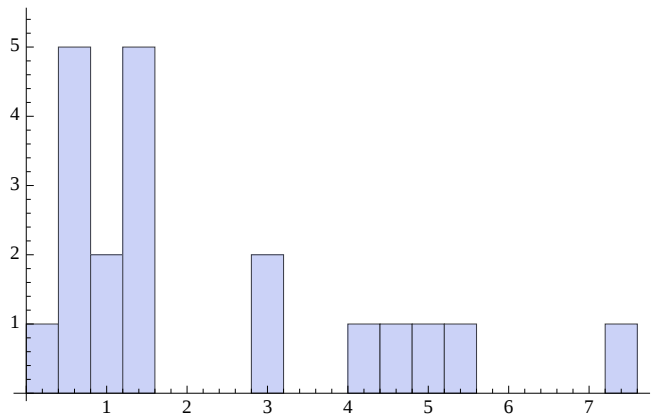
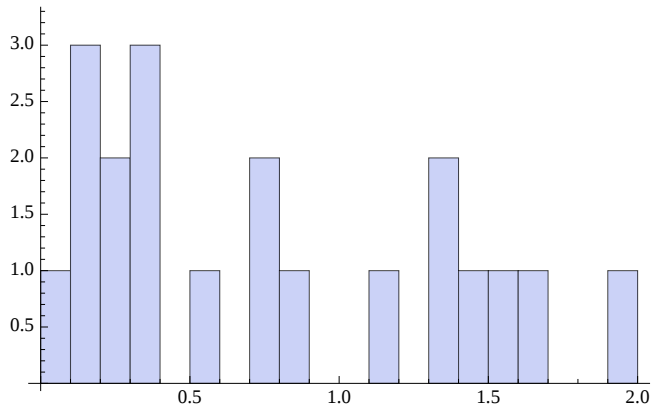






```
Do[Print[Histogram[q[[jj]], 20]], {jj, 4}]
Do[
  qmean[[ii]] = Mean[q[[ii]]]
  , {ii, 4}]
Print[qmean]
```



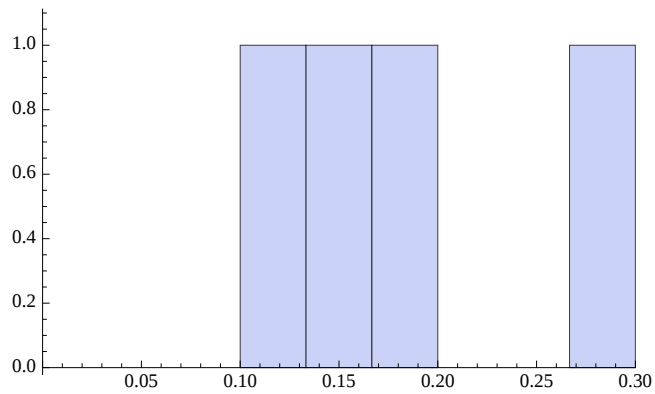
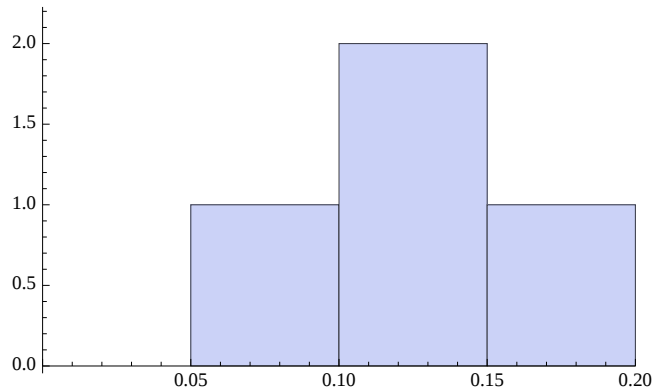


{0.719355, 0.763607, 2.22362, 15.7795}

```

Do[
  list = Table[q[[i, jj]], {jj, 20}];
  qmean[[i]] = Mean[list];
  qrms[[i]] = RootMeanSquare[list];
  , {i, 1, 4}]
Histogram[qmean, 20, PlotRange -> {{0, .2}, Automatic}]
Histogram[qrms, 30, PlotRange -> {{0, .3}, Automatic}]
Print[qmean];
Print[qrms];

```



```
{0.0893701, 0.170331, 0.103002, 0.145926}
```

```
{0.118785, 0.296198, 0.146584, 0.184878}
```

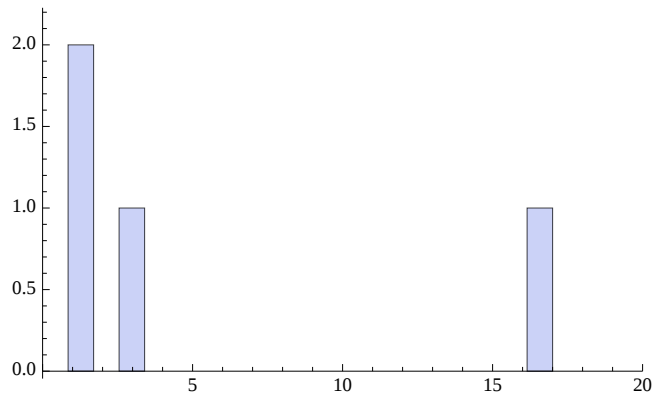
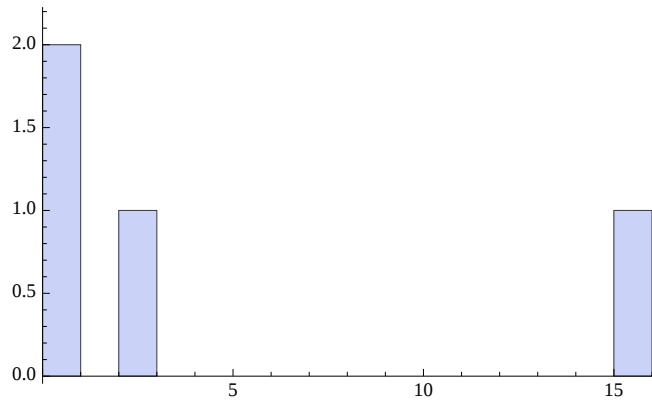
```

Do[
  list = Table[q[[i, jj]], {jj, 20}];
  qmean[[i]] = Mean[list];
  qrms[[i]] = RootMeanSquare[list];
  , {i, 1, 4}]
Print[qmean];
Print[qrms];
Histogram[qmean, 16, PlotRange -> {{0, 16}, Automatic}]
Histogram[qrms, 20, PlotRange -> {{0, 20}, Automatic}]

```

```
{0.719355, 0.763607, 2.22362, 15.7795}
```

```
{1.15065, 0.963055, 2.98299, 16.4386}
```



Scattered rates for 10^9 beam intensity. Start from $1/2$ Hz per 10^{-3} of solid angle with 0.92 mm Al as the target used in LBNE note. This produces 0.8° MCS. The cross section at 62 MeV is 2.6 times larger than at 80 MeV.

We will test with 1 mm Al tilted at 45° . So rate =

$$0.5 * \text{Csc}[\text{Pi} / 4] * 1 / .92 * d\Omega / 10^{-3}$$

In[64]:=

Needs["PlotLegends`"]

In[65]:=

r0 = 0.5 * Csc[Pi / 4] * 1 / .92;

RateAPD[l_] := $\frac{.8 * .8}{1^2 * 10^{-3}} * r0$

RateHPD[l_] := $\frac{\pi * (.3)^2}{1^2 * 10^{-3}} * r0$

In[68]:=

**$\sigma_{62} = 2.6;$
Fluxin = .0346;
Fluxout = .456;**

In[72]:=

**position = {76.2, 61.6, 35.6, 15.2}; qmeanin =
{0.7193547918627854`, 0.7636070952608692`, 2.223616870908846`, 15.779451809335336`};
qmeaninxy = Table[{position[[i]], qmeanin[[i]]}, {i, 4}];
qrmsin = {1.150653577832128`, 0.9630550800880959`, 2.982989639327359`, 16.43861720173747`};
qmeanout =
{0.08937009613390198`, 0.17033079826991637`, 0.10300155320321318`, 0.1459264955496759`};
qrmsout = {0.11878541018438911`, 0.29619788742895037`,
0.1465844032511786`, 0.18487836972322316`};
qrmsout = qrmsout * Fluxin / Fluxout;
qmeanoutxy = Table[{position[[i]], Fluxin / Fluxout * qmeanout[[i]]}, {i, 4}];
qxy = {qmeaninxy, qmeanoutxy};
qxy = Flatten[qxy, 1];
qerr = {qrmsin, qrmsout};
qerr = Flatten[qerr, 1];**

Out[85]=

