

Analysis of June 2, 2013 PSI data.

This notebook starts from reduced data (after noise analysis and baseline subtraction).

SNW-July 15, 2013

```
In[15]:= SetDirectory["~seb/Desktop/PSI_data/"];
Namelist = FileNames[]
Namelist // Length;
nfiles = %
filename = Namelist[[3]]

Out[16]= { .DS_Store, LeCroy-compress-2013-06-02-016.csv,
LeCroy-compress-2013-06-02-017.csv,
LeCroy-compress-2013-06-02-018.csv, LeCroy-compress-2013-06-02-019.csv,
LeCroy-compress-2013-06-02-020.csv, LeCroy-SGM-2013-06-02-016.csv,
LeCroy-SGM-2013-06-02-017.csv, LeCroy-SGM-2013-06-02-018.csv,
LeCroy-SGM-2013-06-02-019.csv, LeCroy-SGM-2013-06-02-020.csv,
LeCroy-SGM-2013-06-02-021.csv, LeCroy-SGM-2013-06-02-022.csv}

Out[18]= 13

Out[19]= LeCroy-compress-2013-06-02-017.csv

In[20]:= Timing[scopedata = Import[filename, "csv"]];
Out[20]= {6.616606, Null}

In[21]:= phase = Table[scopedata[[i, 1]], {i, 2500}];
ampl = Table[scopedata[[i, 2]], {i, 2500}];
v1 = Table[Take[scopedata[[i]], {3, 402}], {i, 2500}];
v2 = Table[Take[scopedata[[i]], {403, 802}], {i, 2500}];
v3 = Table[Take[scopedata[[i]], {803, 1202}], {i, 2500}];
```

Combine data from multiple runs.

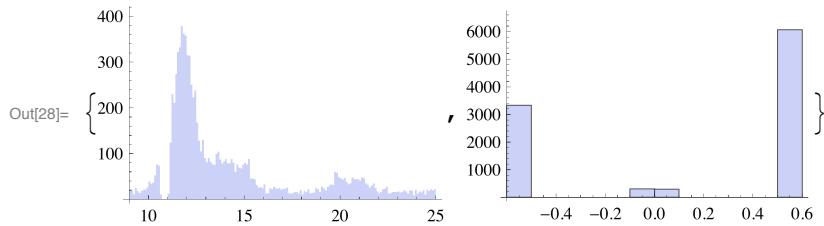
```
In[26]:= Do[
Clear[scopedata];
filename = Namelist[[nfil]];
Print[filename];
scopedata = Import[filename, "csv"];
phase = Join[phase, Table[scopedata[[i, 1]], {i, 2500}]];
ampl = Join[ampl, Table[scopedata[[i, 2]], {i, 2500}]];
v1 = Join[v1, Table[Take[scopedata[[i]], {3, 402}], {i, 2500}]];
v2 = Join[v2, Table[Take[scopedata[[i]], {403, 802}], {i, 2500}]];
v3 = Join[v3, Table[Take[scopedata[[i]], {803, 1202}], {i, 2500}]];
, {nfil, 4, 6, 1}];

LeCroy-compress-2013-06-02-018.csv
LeCroy-compress-2013-06-02-019.csv
LeCroy-compress-2013-06-02-020.csv

In[27]:= outfile = StringReplace[filename, {"compress" \[Rule] "ntuple"}]
Out[27]= LeCroy-ntuple-2013-06-02-020.csv
```

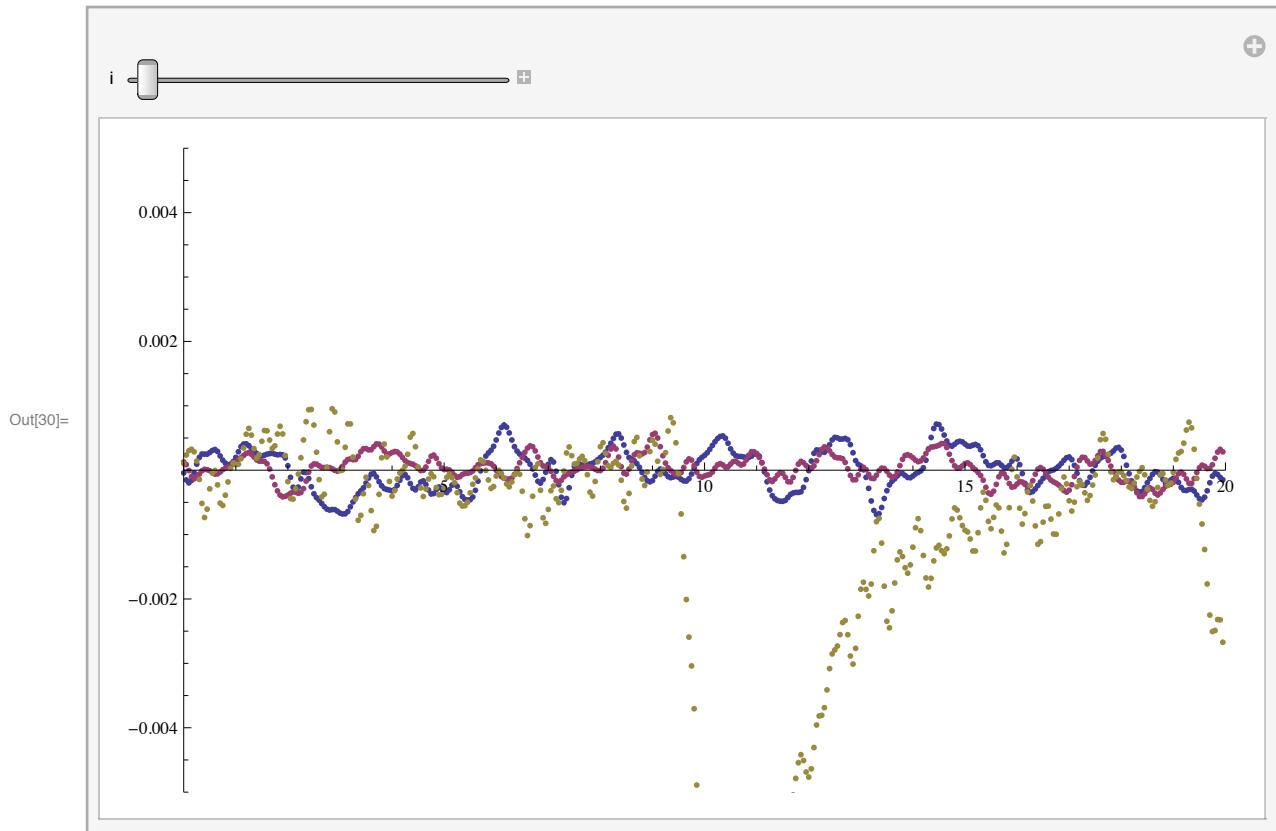
tof distributions

```
In[28]:= {Histogram[phaseshift = Mod[phase, 19.75, 8.], {9, 25, .1}], Histogram[ampl]}
```



Inspect APD data.

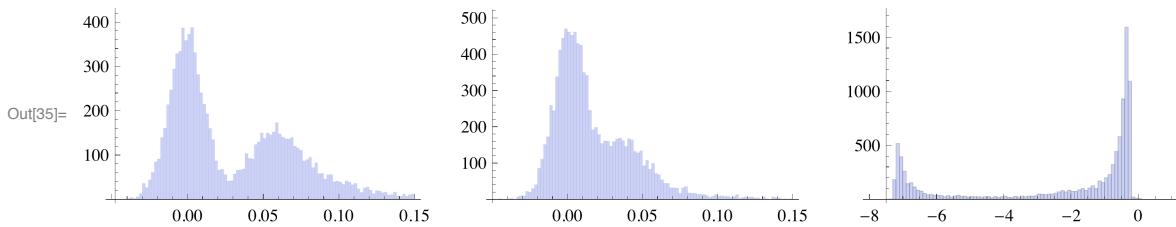
```
In[29]:= time = Range[0, 399] * .05;
Manipulate[ListPlot[{Transpose[{time, v1[[i]]}],
Transpose[{time, v2[[i]]}], Transpose[{time, v3[[i]]}]},
PlotRange -> {{0, 20.}, {-0.005, .005}}, ImageSize -> Large], {i, 1, 2500, 1}]
```



Integrate to find pulse area.

```
In[31]:= Clear[ph1, ph2, ph3];
ph1 = Table[Sum[v1[[i, j]], {j, 100, 299, 1}], {i, 10000}];
ph2 = Table[Sum[v2[[i, j]], {j, 100, 299, 1}], {i, 10000}];
ph3 = Table[Sum[v3[[i, j]], {j, 100, 299, 1}], {i, 10000}];
```

```
In[35]:= GraphicsRow[{Histogram[ph1, {-0.05, .15, .002}], Histogram[ph2, {-0.05, .15, .002}], Histogram[ph3, {-8, 1, .1}]], ImageSize -> Large]
```



Now calculate expected pulse area from $Q = qe * ne * APDGain * Ampgain$, $V/50 \text{ Ohms} = i$
 Gains and detector Capacitance dependent deficit from Voltage Amplifier Model.

Looks like there is a factor of 4 less integrated charge than would predict for either 64mm^2 or 4mm^2 detectors.

The discrepancy is possibly even larger since the APD gain is likely a bit more than 600 at this bias.

```
In[36]:= qe = -1.60217 * 10^-19;
ne = 6000; APDGain = 600;
defecit4mm = 0.5; defecit64 = 0.09;
NSolve[13 == 20 Log10[vgain], vgain] /. Rule -> List;
Ampgain13 = %[[1, 1, 2]];
NSolve[20 == 20 Log10[vgain], vgain] /. Rule -> List;
Ampgain20 = %[[1, 1, 2]];

Out[40]= 4.46684

Out[42]= 10.

In[43]:= NSolve[vsum == 50 / (.05 * 10^-9) * qe * ne * APDGain * Ampgain13, vsum] /. Rule -> List
pulsearea3 = %[[1, 1, 2]] * defecit4mm

Out[43]= {{vsum, -2.57639} }

Out[44]= -1.28819

In[45]:= NSolve[vsum == 50 / (.05 * 10^-9) * qe * ne * APDGain * Ampgain20, vsum] /. Rule -> List
pulseareal = %[[1, 1, 2]] * defecit64

Out[45]= {{vsum, -5.76781} }

Out[46]= -0.519103
```

Now create an n - Tuple to fish out the characteristics of the MIP signal and write it to file.

Also define some obvious cuts.

```
In[47]:= ntuple = Transpose[{phaseshift, ampl, ph1, ph2, ph3}];

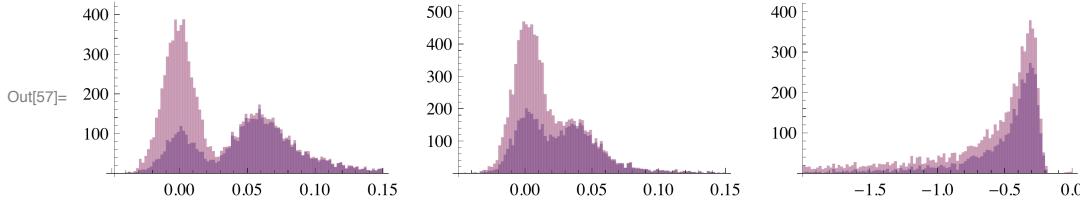
In[48]:= Export[outfile, ntuple, "csv"]

Out[48]= LeCroy-ntuple-2013-06-02-020.csv

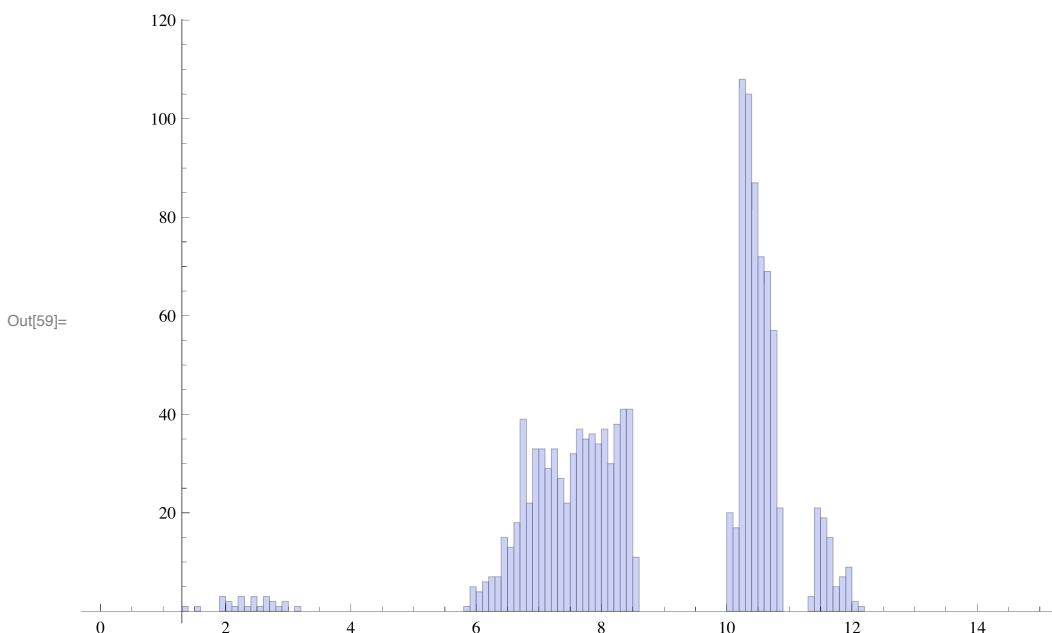
In[49]:= phasepos = 1; amplpos = 2;
ph1pos = 3; ph2pos = 4; ph3pos = 5;
ph1and2ok[datum_List] :=
  (0.02 < Part[datum, ph2pos] < .1) && (.03 < Part[datum, ph1pos] < .15)
phasepi[datum_List] := (11 < Part[datum, phasepos] < 13)
ph3ok[datum_List] := (-1.2 < Part[datum, ph3pos] < -.2)
ph1ok[datum_List] := (0.03 < Part[datum, ph1pos] < .15)
ph2ok[datum_List] := (.02 < Part[datum, ph2pos] < 0.1)
amplok[datum_List] := (.4 < Part[datum, amplpos]) &&
  (.03 < Part[datum, ph1pos] < .15) && (0.02 < Part[datum, ph2pos] < .1)
```

Conditional Histograms

```
In[57]:= GraphicsRow[
{Histogram[{Select[ntuple, ph3ok][[All, ph1pos]], ntuple[[All, ph1pos]]}, {-0.05, .15, .002}], Histogram[{Select[ntuple, ph3ok][[All, ph2pos]], ntuple[[All, ph2pos]]}, {-0.05, .15, .002}], Histogram[{Select[ntuple, ph1ok][[All, ph3pos]], ntuple[[All, ph3pos]]}, {-2, 0, .02}]}
```



```
In[58]:= shiftedTOF = -(Select[ntuple, amplok][[All, phasepos]] - 22);
Histogram[shiftedTOF, {0, 15, .1}]
```



The Tof Spectrum has roughly the expected time difference for

e, mu, and pions - see below.

The pion peak itself is split, probably because the clock period falls in the middle of the peak.

Clearly the clock phase analysis could use a little cleaning up.

```
In[60]:= mu = ParticleData["Muon", "Mass"]; mpi = ParticleData["PiPlus", "Mass"];
me = ParticleData["Electron", "Mass"];
Solve[250 == mpi * beta / Sqrt[1 - beta * beta], beta] /. Rule → List;
vpi = %[[1, 1, 2]]
Out[62]= 0.87314524

In[63]:= Solve[250 == me * beta / Sqrt[1 - beta * beta], beta] /. Rule → List;
ve = %[[1, 1, 2]]
Out[64]= 0.99999791

In[65]:= Solve[250 == mu * beta / Sqrt[1 - beta * beta], beta] /. Rule → List;
vmu = %[[1, 1, 2]]
Out[66]= 0.921113762

In[67]:= Solve[tufe == 2360 / 30 * (1 / ve - 1 / vpi), tufe]
Out[67]= {{tufe → -11.42891} }

In[68]:= Solve[tofmu == 2360 / 30 * (1 / vmu - 1 / vpi), tofmu]
Out[68]= {{tofmu → -4.691885} }

In[69]:= Dimensions[ph1]
Dimensions[v1]
Out[69]= {10000}
Out[70]= {10000, 400}
```

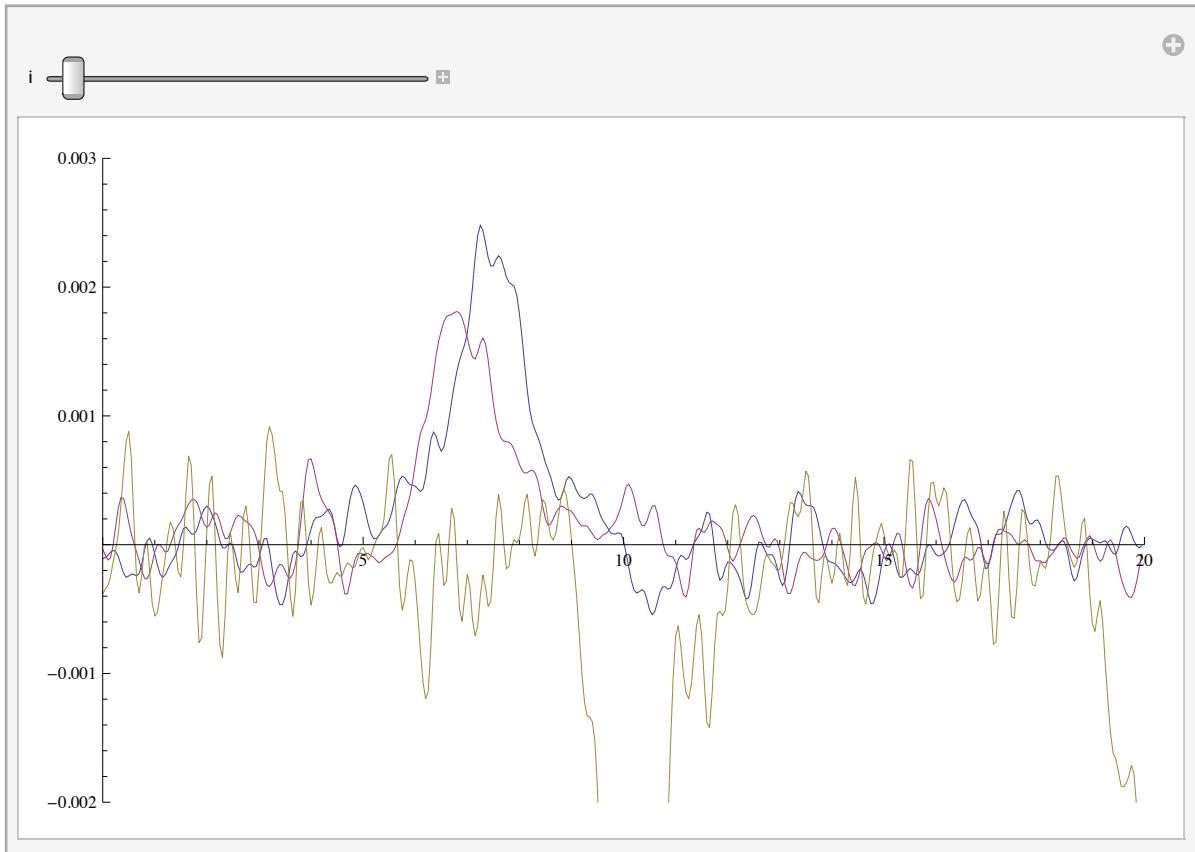
Now write out a set of event waveforms that are selected with the above cuts.

```
In[71]:= Clear[v1write, v2write, v3write]
ngodevents = 0; v1write = ConstantArray[0, {2704, 400}];
v2write = ConstantArray[0, {2365, 400}]; v3write = ConstantArray[0, {2365, 400}];

In[74]:= Do[
  If[(.03 < ph1[[i]] < .15) &&
    (.02 < ph2[[i]] < .1) && (-1.2 < ph3[[i]] < -.2), , Goto[nogood]];
  ngodevents++;
  v1write[[ngodevents]] = v1[[i]];
  v2write[[ngodevents]] = v2[[i]]; v3write[[ngodevents]] = v3[[i]];
  Label[nogood];
  , {i, 10000}];
ngodevents
Out[75]= 2365
```

```
In[76]:= outfilewave = StringReplace[filename, {"compress" → "wavecut"}]
Export[outfilewave, {v1write, v2write, v3write}, "csv"];
Out[76]= LeCroy-wavecut-2013-06-02-020.csv

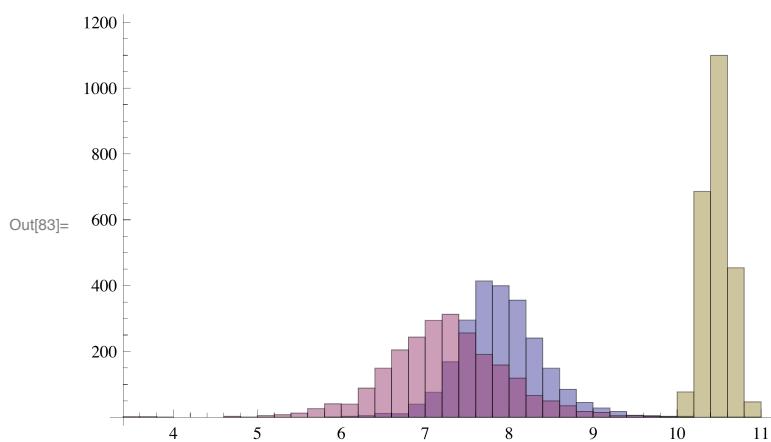
In[78]:= Manipulate[ListPlot[{Transpose[{time, v1write[[i]]}],
Transpose[{time, v2write[[i]]}], Transpose[{time, v3write[[i]]}]},
PlotRange → {{0, 20.}, {-0.002, .003}}, Joined → True, ImageSize → Large],
{i, 1, 2365, 1}, SaveDefinitions → True]
```



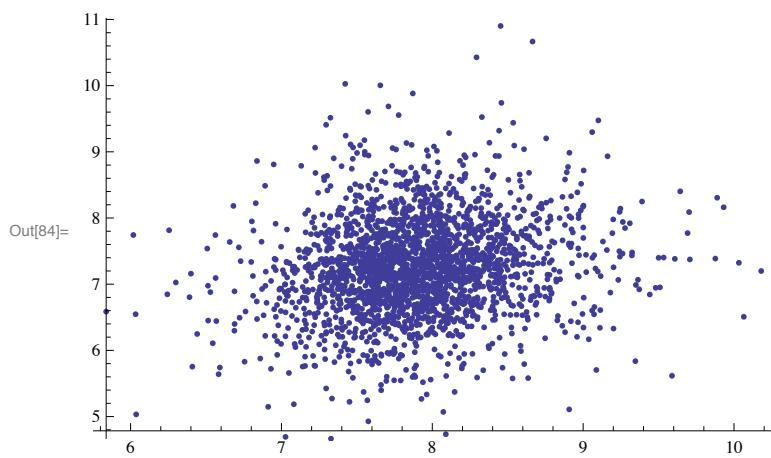
Since noise is so large in this run try timing just from the pulse centroid.

```
In[79]:= time3 = Take[time, {180, 239}]; time1 = Take[time, {100, 239}];
In[80]:= v1centroid = Table[(time1.Take[v1write[[i]], {100, 239}]) /
Sum[v1write[[i, j]], {j, 100, 239}], {i, 2365}];
v2centroid = Table[(time1.Take[v2write[[i]], {100, 239}]) /
Sum[v2write[[i, j]], {j, 100, 239}], {i, 2365}];
v3centroid = Table[(time3.Take[v3write[[i]], {180, 239}]) /
Sum[v3write[[i, j]], {j, 180, 239}], {i, 2365}];
```

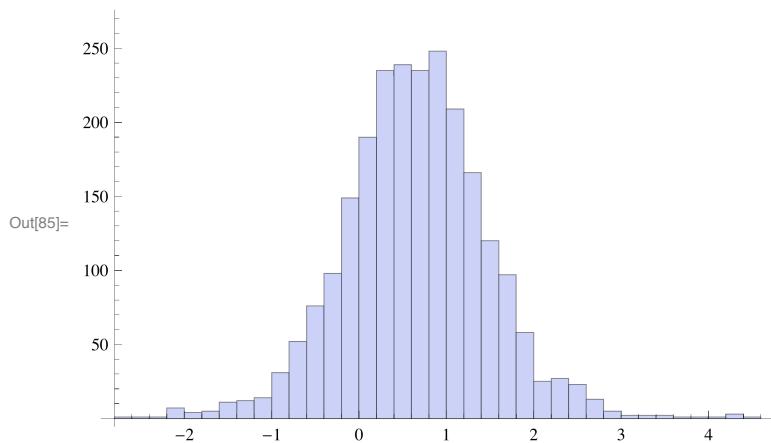
```
In[83]:= Histogram[{v1centroid, v2centroid, v3centroid}]
```



```
In[84]:= ListPlot[Transpose[{v1centroid, v2centroid}]]
```



```
In[85]:= Histogram[vdif = (v1centroid - v2centroid)]
```



As you can see directly from the scope traces, these data have a huge, noise dominated, time jitter.

```
In[86]:= v3ave = Mean[v3centroid]
RootMeanSquare[(v3centroid - v3ave)]

Out[86]= 10.4748

Out[87]= 0.153843

In[88]:= ave1 = Mean[v1centroid]
RootMeanSquare[(v1centroid - ave1)]

Out[88]= 7.90426

Out[89]= 0.507667

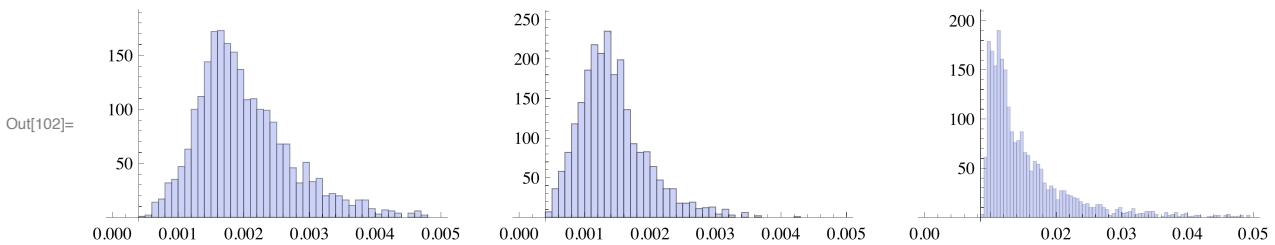
In[90]:= avedif = Mean[vdif];
RootMeanSquare[(vdif - avedif)]

Out[91]= 0.830316
```

Now Plot the pulse peak amplitude for the selected set of MIP candidates.

```
In[92]:= v1peak = Table[Max[Take[v1write[[i]], {100, 239}]], {i, 2365}];
v2peak = Table[Max[Take[v2write[[i]], {100, 239}]], {i, 2365}];
v3peak = Table[Max[Take[-v3write[[i]], {180, 239}]], {i, 2365}];

In[102]:= GraphicsRow[{Histogram[v1peak, {0., 0.005, .0001}],
Histogram[v2peak, {0., 0.005, .0001}], Histogram[v3peak, {0., 0.05, .0005}]}]
```



End of Notebook so far