

# Resistivity of p-side

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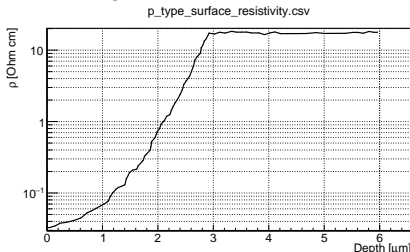
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- Inhomogeneous pulseheight across the sensor
- Suspected homogeneous charge collection
- Different resistance between charge deposit and collecting electrode?

# Resistance Estimation

## Digitized measurement

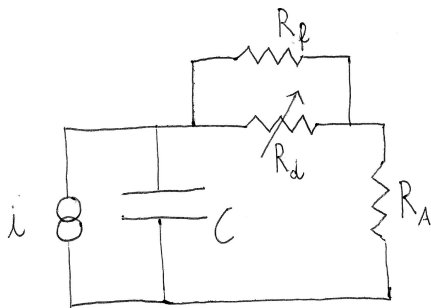


$$R = \rho \frac{d}{A} \quad G = 1/R \quad dG = \frac{D dz}{\rho(z) d} \quad R = \left( \int_0^{zmax} dG \right)^{-1}$$

$$D = 0.8 \text{ cm} \quad zmax = 40 \mu\text{m} \quad d \rightarrow \text{free}$$

Assume constant resistivity for  $z > 6 \mu\text{m} \Rightarrow 389 \Omega/\text{cm}$   
(n.b. “linear resistivity”  $R = k \cdot d$ )

# Electrical Model



- $C \rightarrow$  det capacitance
- $R_d \rightarrow$  p-side resistance (distance dependent)
- $R_f \rightarrow$  fixed resistance (contribution from trenches??)
- $R_A \rightarrow$  amplifier input

Assuming a delta current pulse of charge  $Q$

$$V_C(t=0) = V_R = \frac{Q}{C}$$

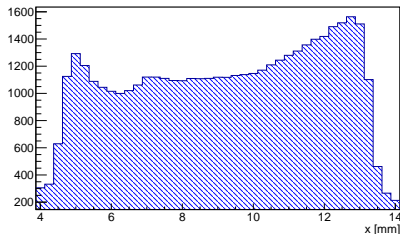
Voltage at the amplifier terminals

$$V_A = V_R \left( 1 + \frac{R_f}{R_A(1 + R_f/R_d)} \right)^{-1}$$

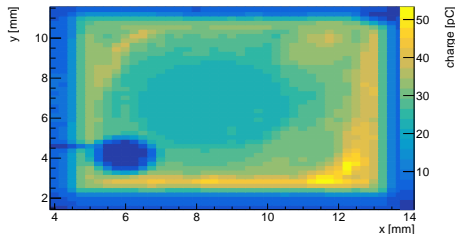
$$R_d = k \cdot d$$

# Measurements

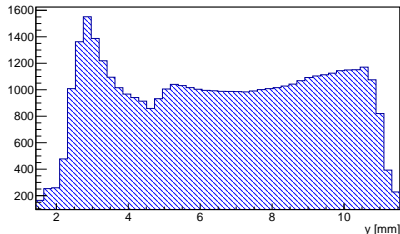
## Projection X of charge map



## Charge map



## Projection Y of charge map

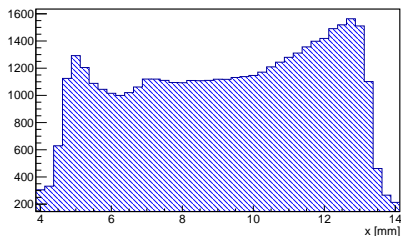


Determine:

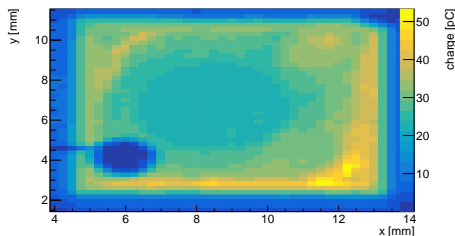
- X cuts:  $4.6 < x < 13.4$  mm
- Y cuts:  $2.4 < y < 10.9$  mm
- Contact center: (6.25, 4.6) mm

# Measurements

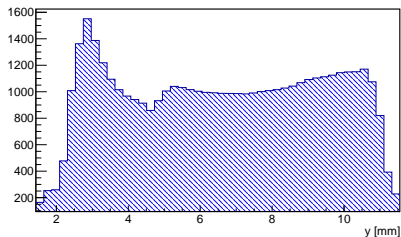
## Projection X of charge map



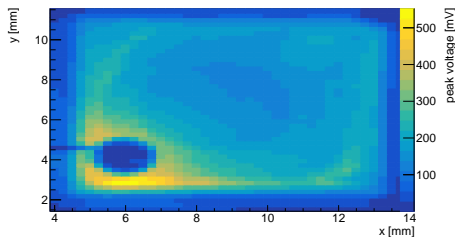
## Charge map



## Projection Y of charge map

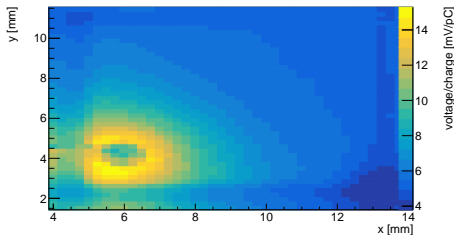


## Peak map

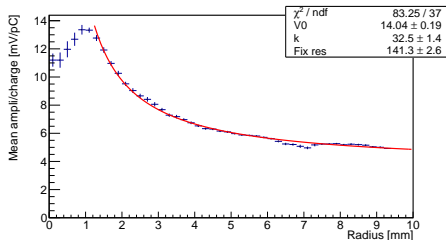


# Normalized Peak vs. distance

Peak / charge map



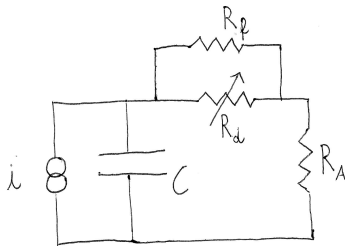
Average peak/charge vs distance from contact



- Description using model shown before
- $\chi^2 / \text{ndf}$  not close to unity, not all features described (e.g. dip at 7 mm)
- Radius of contact (silver paint) set to 1.2 mm
- $R_A$  set to  $50 \Omega$
- $R_f = 141 \Omega$
- $k = 330 \Omega/\text{cm}$ , smaller than expected ( $389 \Omega/\text{cm}$  is a lower limit)

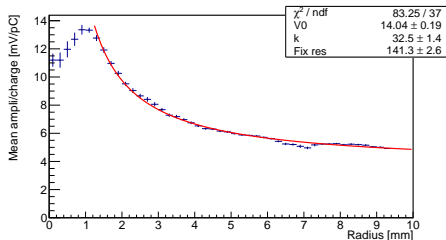
Do we need a better / more physical model?

# Normalized Peak vs. distance



$$R_d = k \cdot d$$

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